

DISTRIBUTED AND OPTIMIZED SUB-SLAB VENTING (DOSSV)

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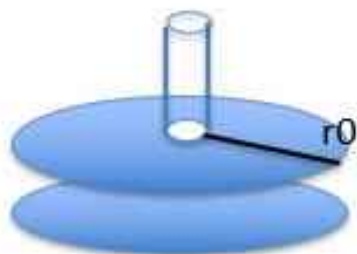
2024 Chlorinated Conference

Denver, CO

Simplified Model of airflow dynamics in SSD RMS for Residences with Gravel Beds

T.A. Reddy, K.J. Gadsby, H.E. Black, III, D.T. Harrie, and R.G. Sextro,

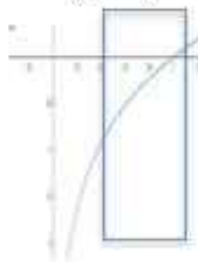
May 1992 EPA-600/R-92-090



Assumptions in the model:

- 1) Two parallel impermeable discs with radius r_0
- 2) Central extraction (or pressurization) hole
- 3) Gravel ... soil in between discs

Laminar regime: $p \sim \ln(r/r_0) + C$



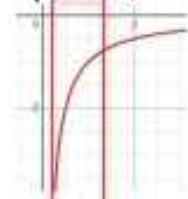
$Re \leq 1$

Larger values of r , but still

$r/r_0 < 1$

Beyond a critical circle, away from the vent pipe

Turbulent regime: $p \sim -1/r$



$Re \geq 5$ or 10

Smaller values of r , and

$r/r_0 < 1$

Within a critical circle, close to the vent pipe.

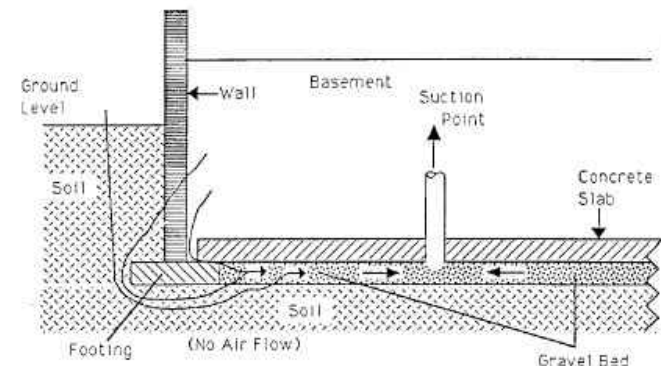


Fig. 1 Schematic of subslab air flows in a house with a gravel bed when the house is being mitigated following the subslab depressurization technique. Note that part of the air flowing through the gravel bed originates from the basement and the rest from the ambient air.

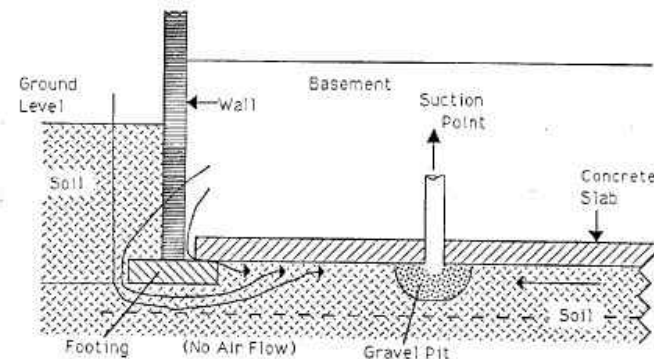
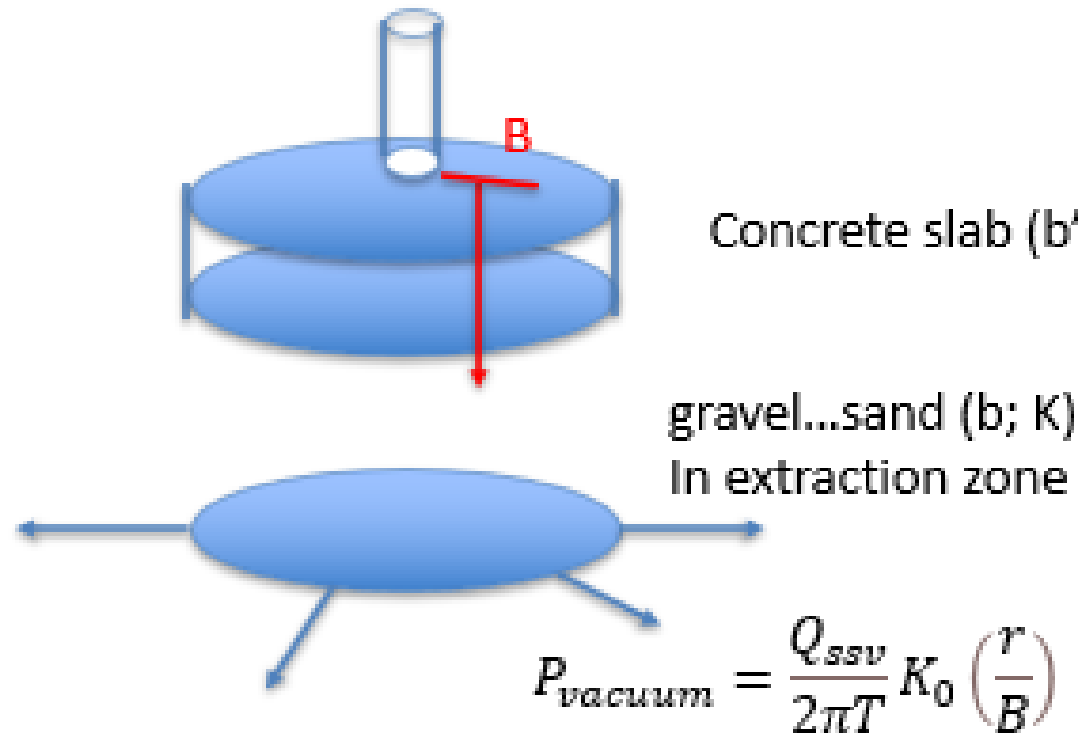


Fig. 2 Schematic of subslab air flow in a house without a gravel bed when the house is being mitigated following the subslab depressurization technique.

Summary of Research on Mitigation System design and monitoring

T. McAlary, W. Wertz, D. Mali, 2018, Myrtle Beach

SSD, ASD → SSV



Hantusch-Jacob Model (1955)
Laminar, and gravel, hydrodyn.

$$P_{vacuum} = \frac{Q_{ssv}}{2\pi T} K_0 \left(\frac{r}{B} \right)$$

Leakance: B [L] 5.5 ft...18 ft

Transmittivity T [t] 54 ft²/day

$$v = \frac{Q_{ssv}}{2\pi b n B} K_1 \left(\frac{r}{B} \right)$$

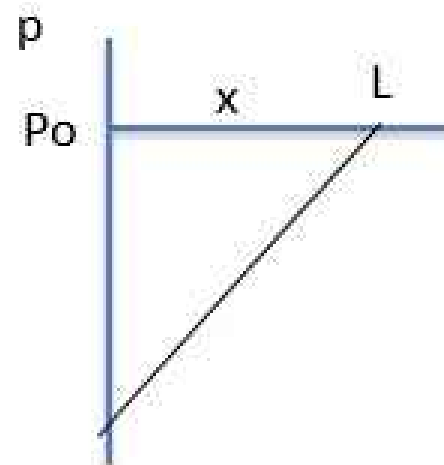
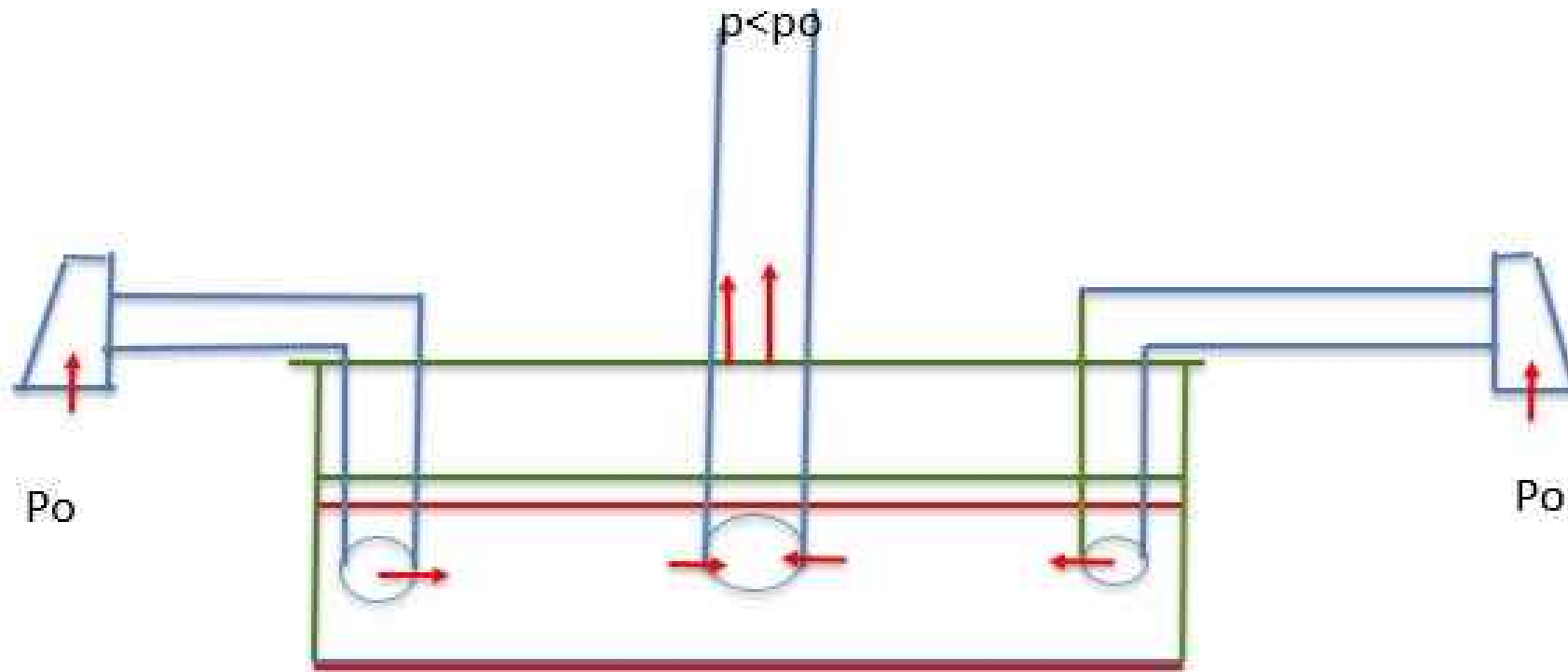
Models for New Construction Plenum (New plenums are sealed from the top)

- 2 dim,
- $r \rightarrow \text{infinity}$, Hantusch model, and
- B describes only the remaining leakage from below the plenum

Could we build a simpler configuration in New Construction, so the calculation becomes easier?

Could we make the problem 1 dimensional?

In Line Fan imposes a vacuum



40ft x 80ft

3,200 sq.ft.

4 cfm

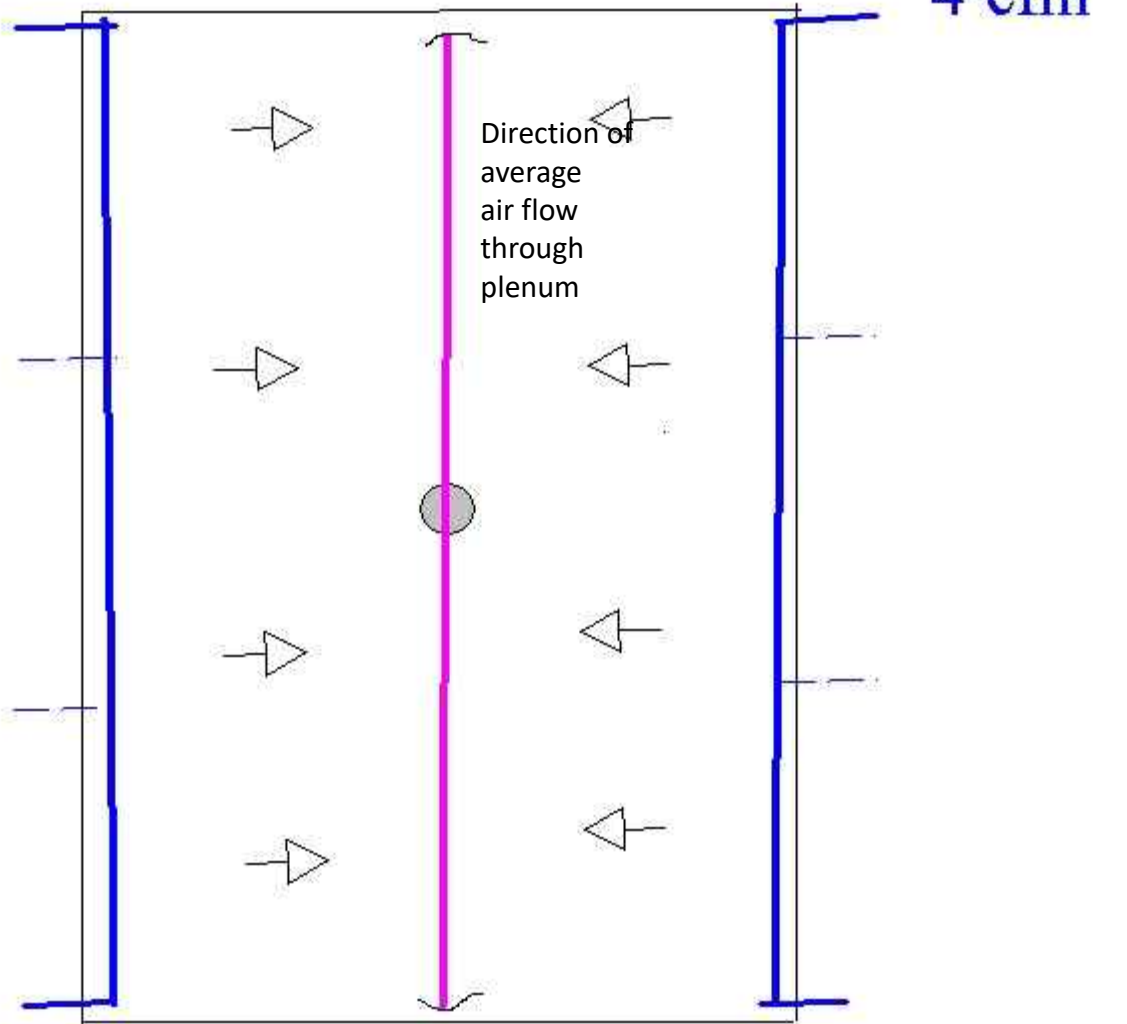
80 ft

Direction of
average
air flow
through
plenum

53 ft

8 cfm

80ft x 160ft



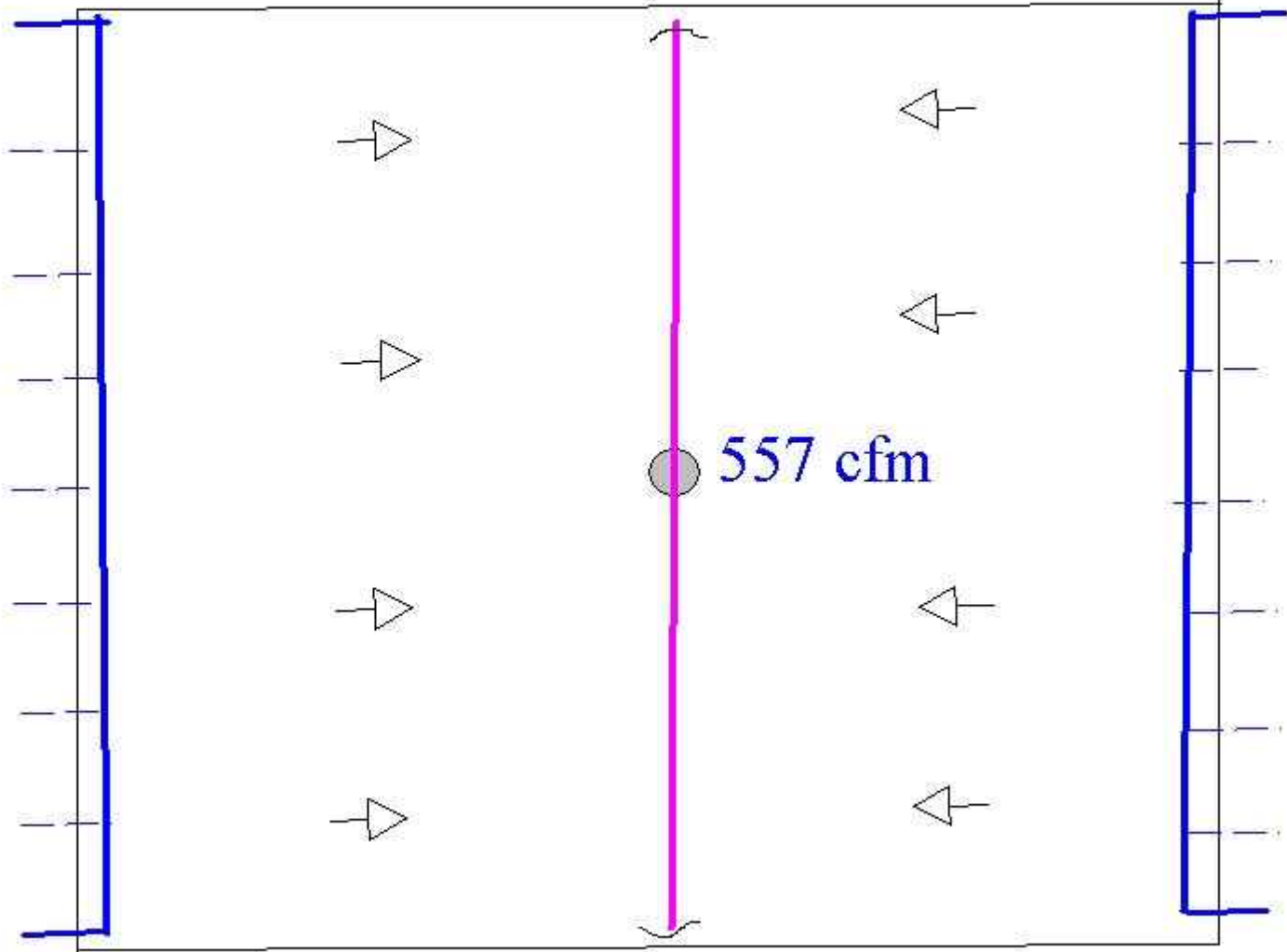
317 ft x 317 ft

160 ft

40 ft

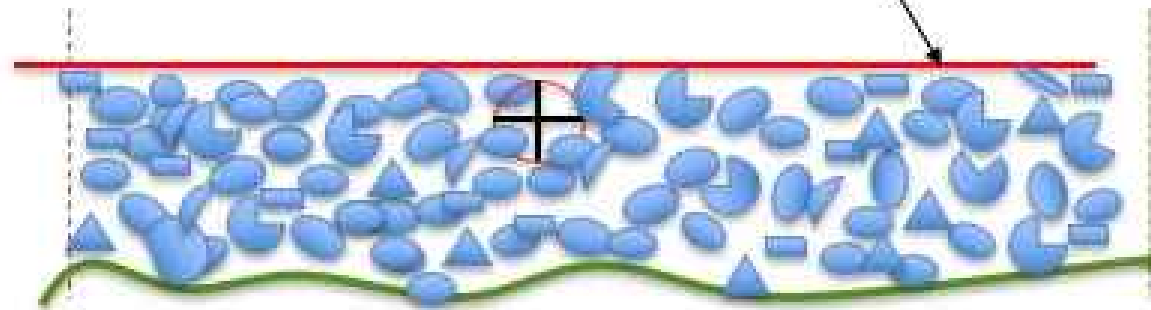
31 cfm

557 cfm



Flow model: shown is the cross section perpendicular to the direction of average air flow through the plenum

High density polyethylene sheet acting as an impenetrable barrier for air and radon (very slick plastic) Fully sealed

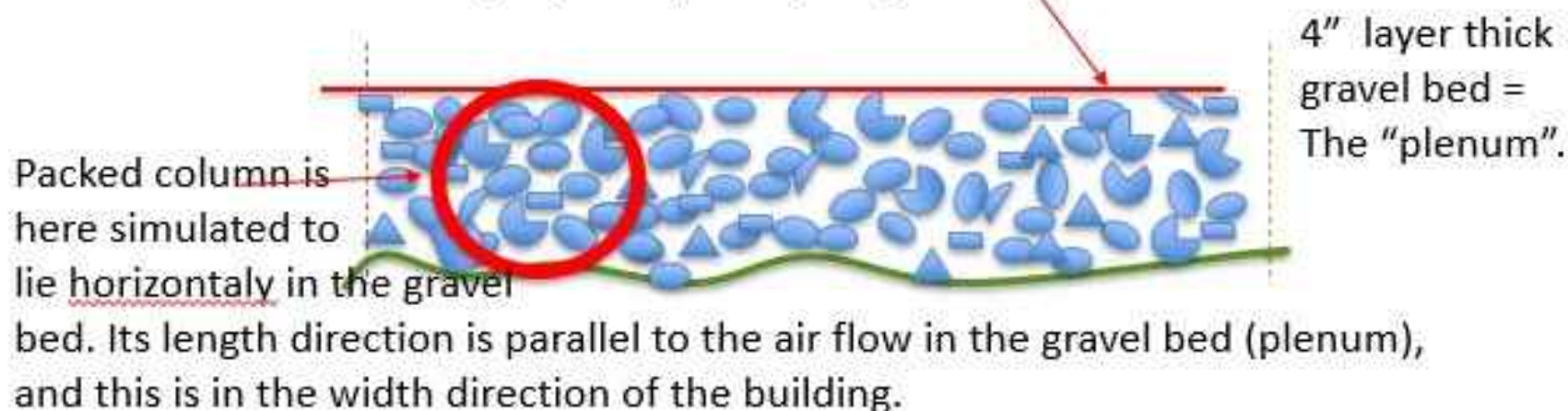


4" or 6" thick layer
The "plenum".
Reflective Boundary
Conditions on the sides,
or treat this as one cell
of many side by side.

Original soil, or compacted soil, clay, silt has a much smaller permeability for air than any other component, or best is a fully sealed sheet of high density polyethylene.

Flow model cross section
perpendicular to the direction of average air flow
through the plenum under the concrete slab.
(The plenum is the entire gravel bed)

High density polyethylene sheet acting as an impenetrable barrier
for air and radon (very slick plastic) Fully sealed



Length of the pipe inside-wall cross section (= a circle): $\pi \cdot D = 31.9$ cm

Length of equivalent cross section for the "walls of the plenum": $2 \cdot D = 20.3$ cm

Thus, the wall effects are less important in the flow under the slab than
in the pipe by $1 - (2/\pi) = 36\%$

Packed Column equivalence

Describes the flow through porous media.

Applicable for packed columns, 1-dimensional problem.

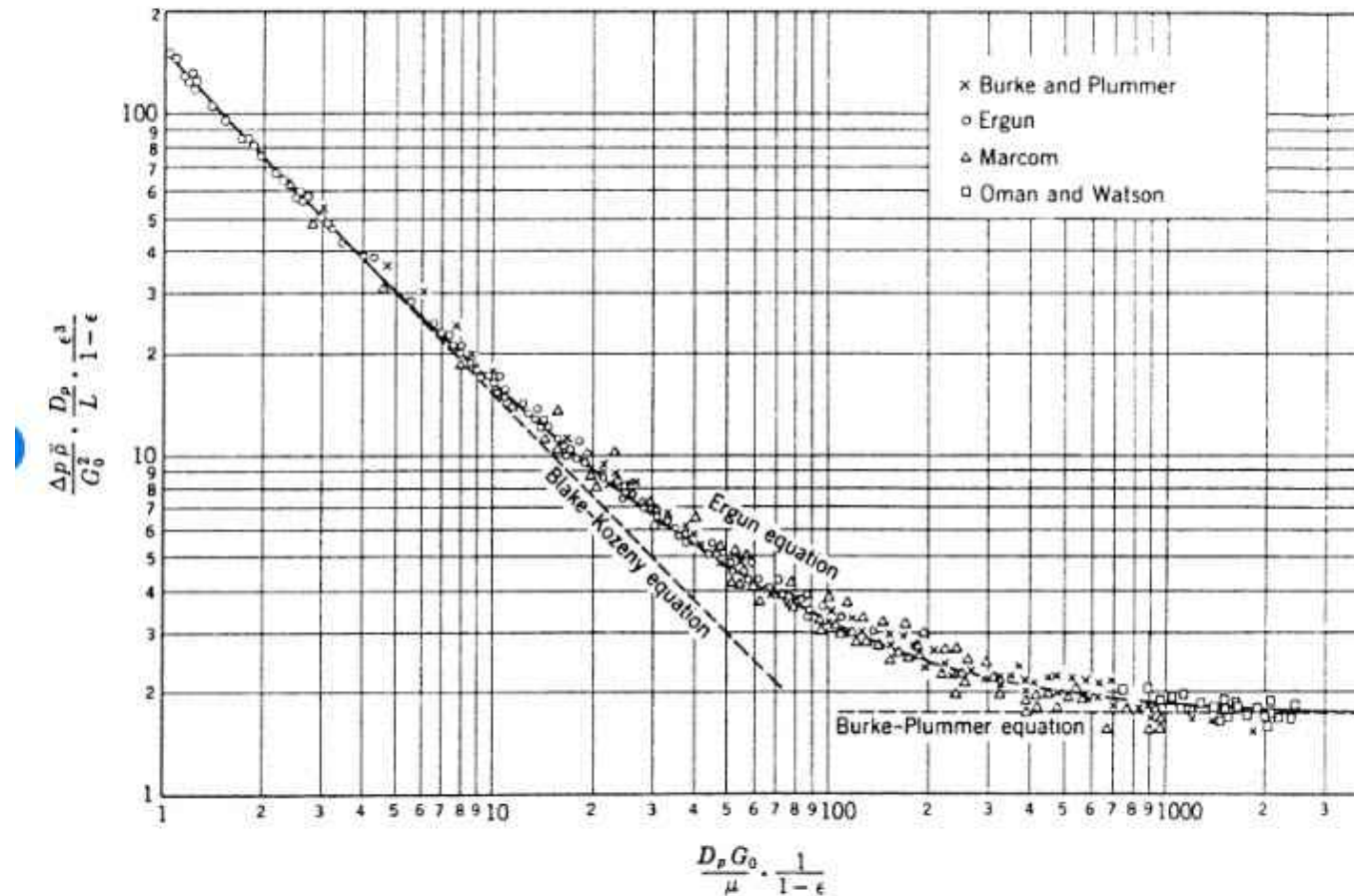
Used in titration, chemical reactors and adsorption columns, and packed towers, as well as the design and optimization of separation and filtration processes.

It describes the non-linear relationship between the decrease in pressure and the “superficial velocity” through the column, in the direction of the flow.

$$\bullet \Delta p = \frac{150 \mu L}{D_p^2} \frac{(1-\varepsilon)^2}{\varepsilon^3} v_s + \frac{1.75 L \rho}{D_p} \frac{(1-\varepsilon)}{\varepsilon^3} v_s |v_s|$$

Friction factor $y = \frac{150}{\gamma} + 1.75$

Modified Reynolds number

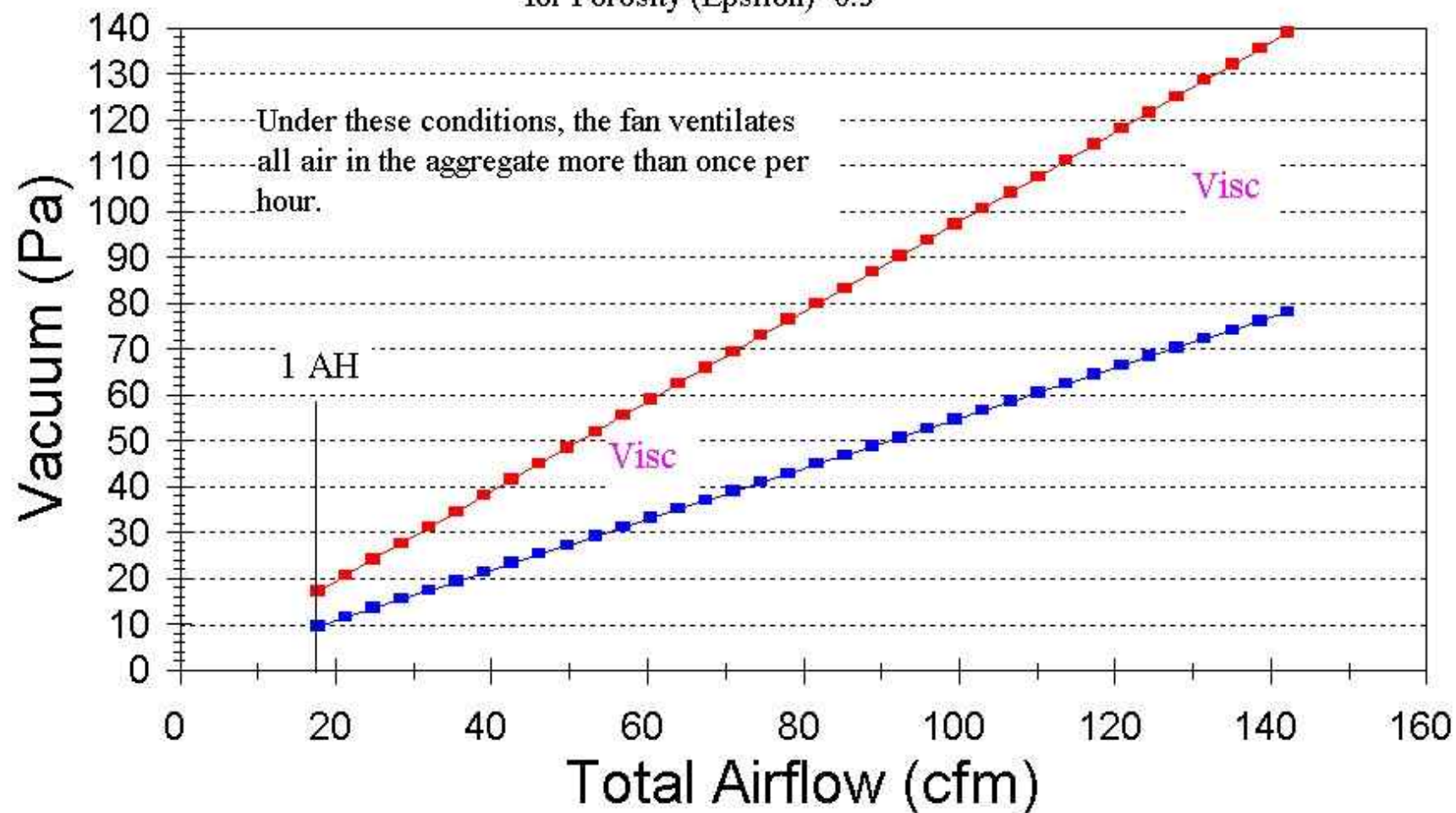


Normalised plot of the Ergun equation (after Ergun, 1952; Bird et al., 1960).

Distributed Optimized SSVentilation

SteadyState for #8 gravel (depth=4in)

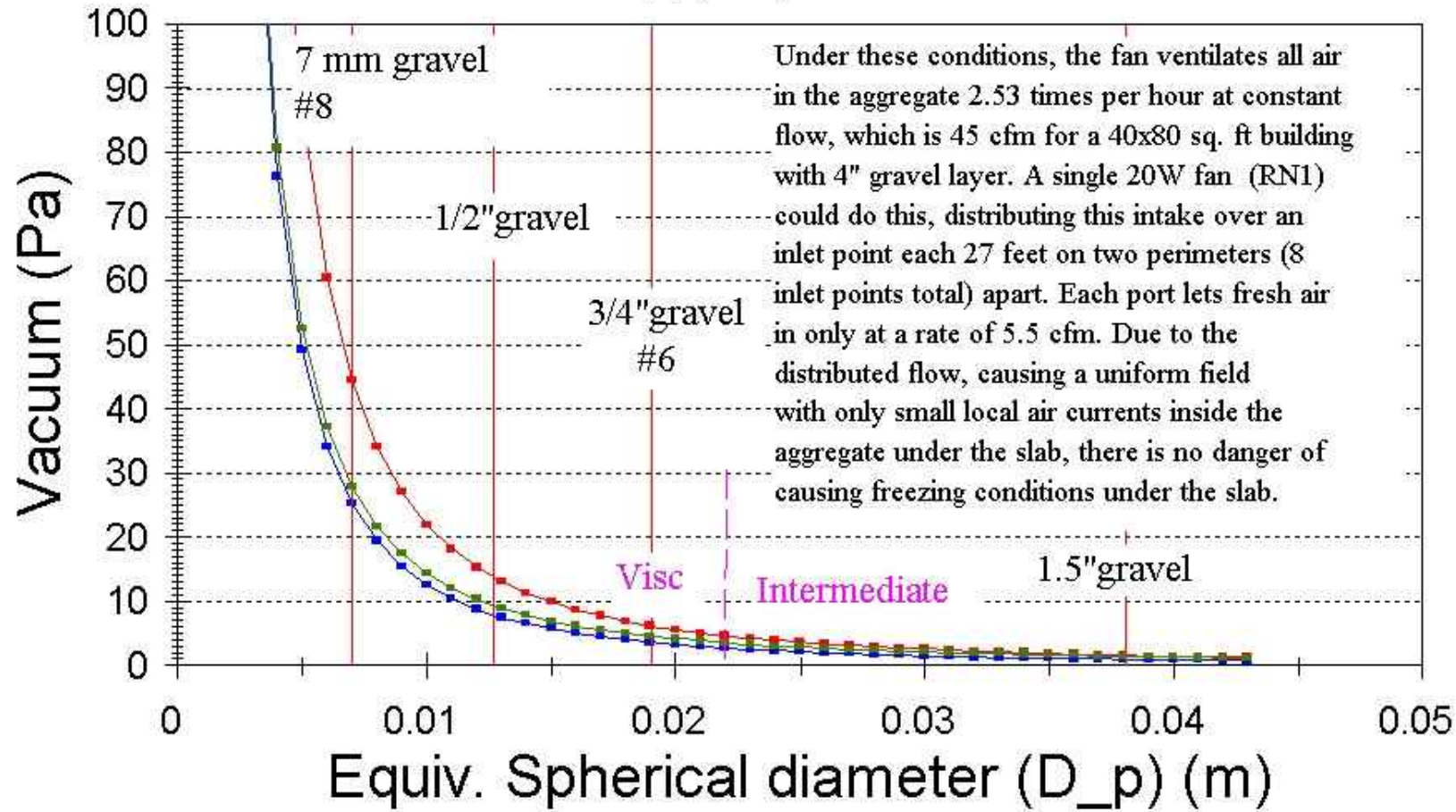
for Porosity (Epsilon)=0.3



—■— Ergun 80x40=3,200 sq.ft. —■— Quinn

Distributed Optimized SSVentilation

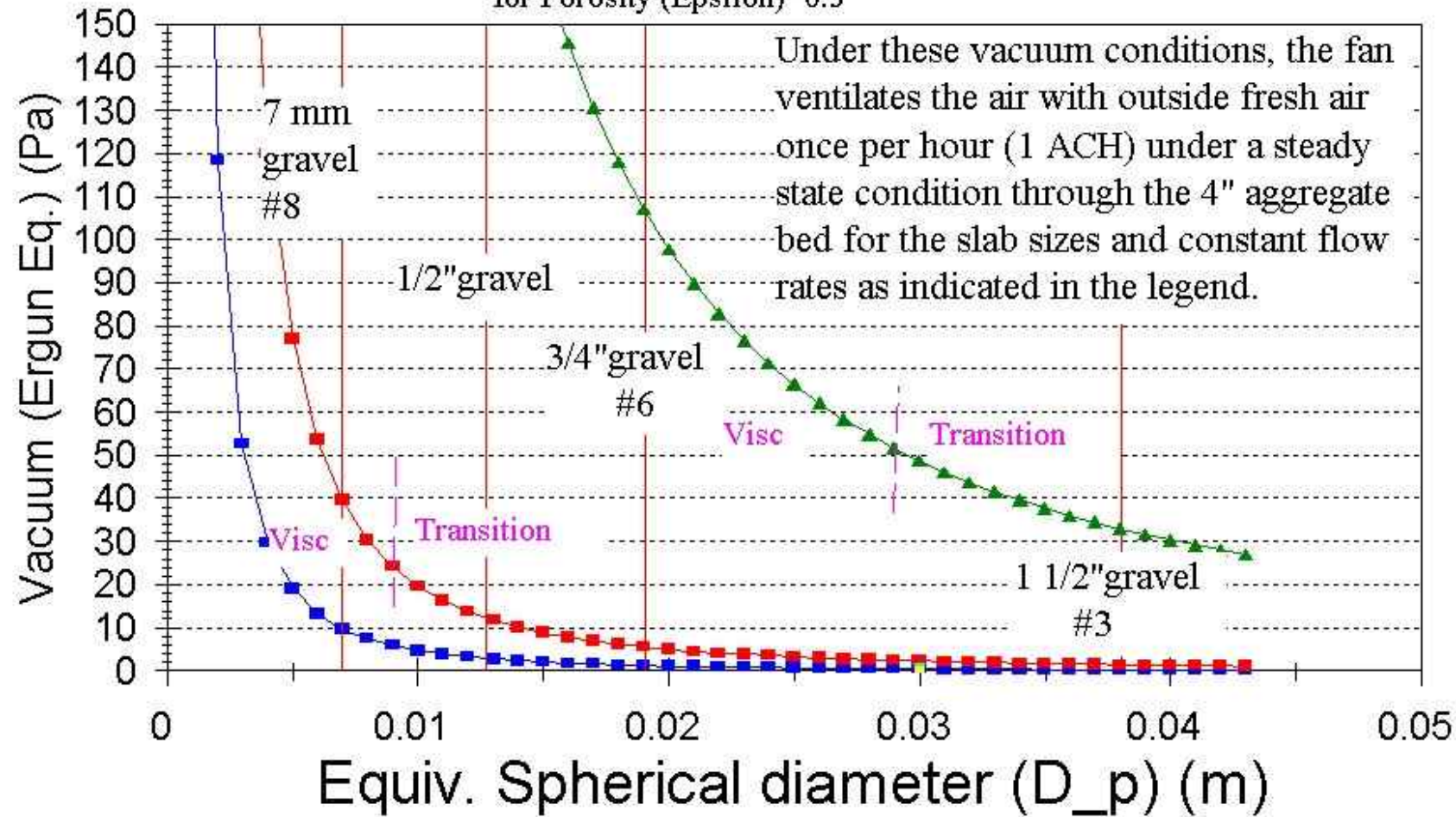
SteadyState at 2.53 AH: 4" aggregate
for Porosity (Epsilon)=0.3



- Ergun for 80x40=3200 sq.ft. 45 cfm
- Quinn
- Lieu

Distributed Optimized SSVentilation

SteadyState at 1ACH with 4inch aggreq.
for Porosity (Epsilon)=0.3



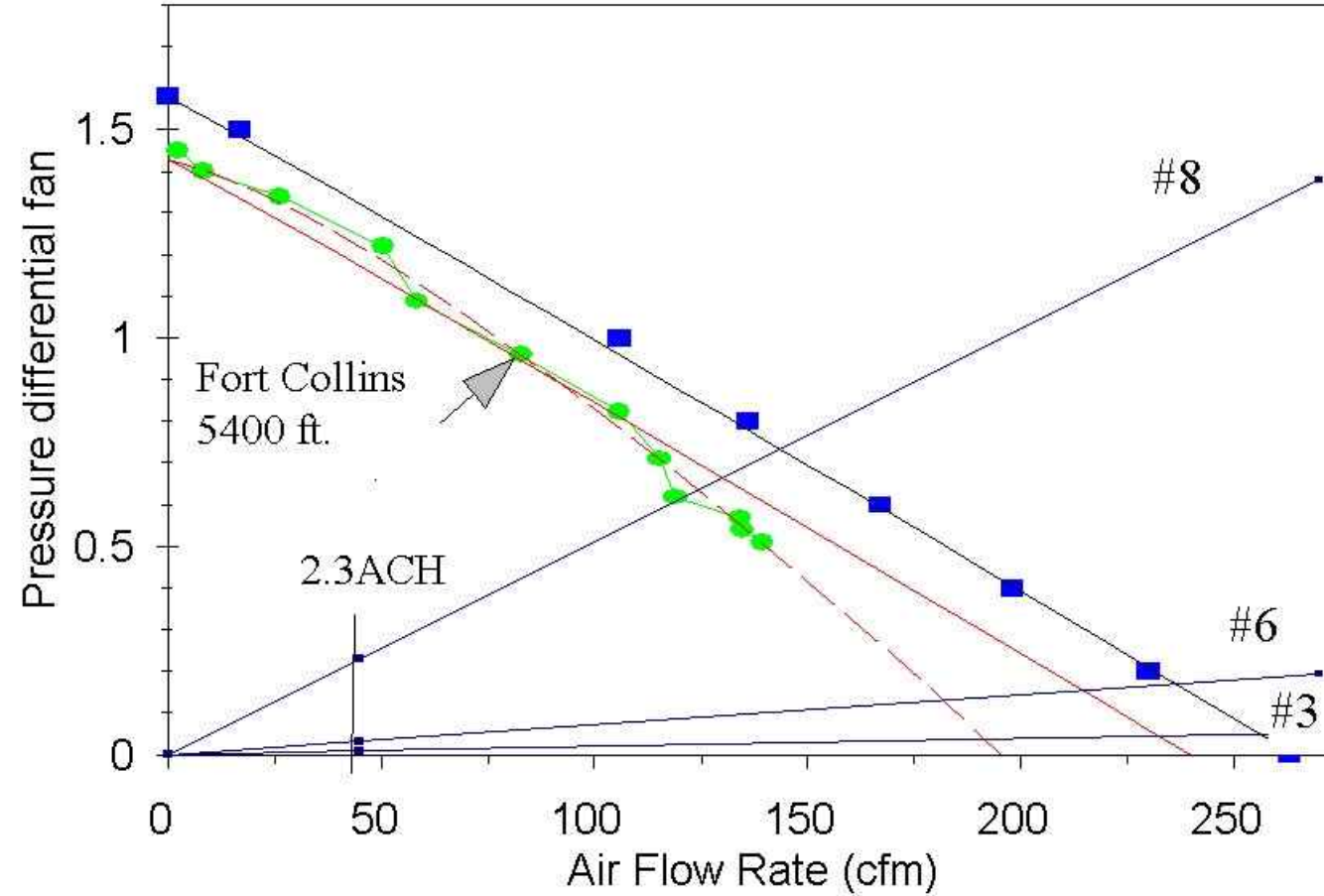
—■— 17.8 cfm for 80x40=3,200sq.ft.

—■— 71.1 cfm for 160x80=12,800sq.ft.

—▲— 558.2 cfm for 317x317=100,489 sq.ft.

Fan Response Curve

FR150 Max "7"



Current medium power fans have much more power than are needed for DOSSV flow rate

In packed columns the Darcy velocity) is given by:

$$\vec{q} = -\frac{k}{\mu} \frac{dp}{dz} \vec{e}_z$$

(In opposite direction to the increase of pressure)

RESULTS FROM EXPERIMENTS OF FLUIDS DISSIPATING THROUGH PACKED COLUMNS (1 Dimensional)

In DOSSV: “Air element is sliding down the hill towards lower pressures”

This is the result of a balancing act of the pressure force with the friction forces due to the air being forced to go through the many small connected holes and curved pathways (pores), taking into account the fluid's internal viscosity.

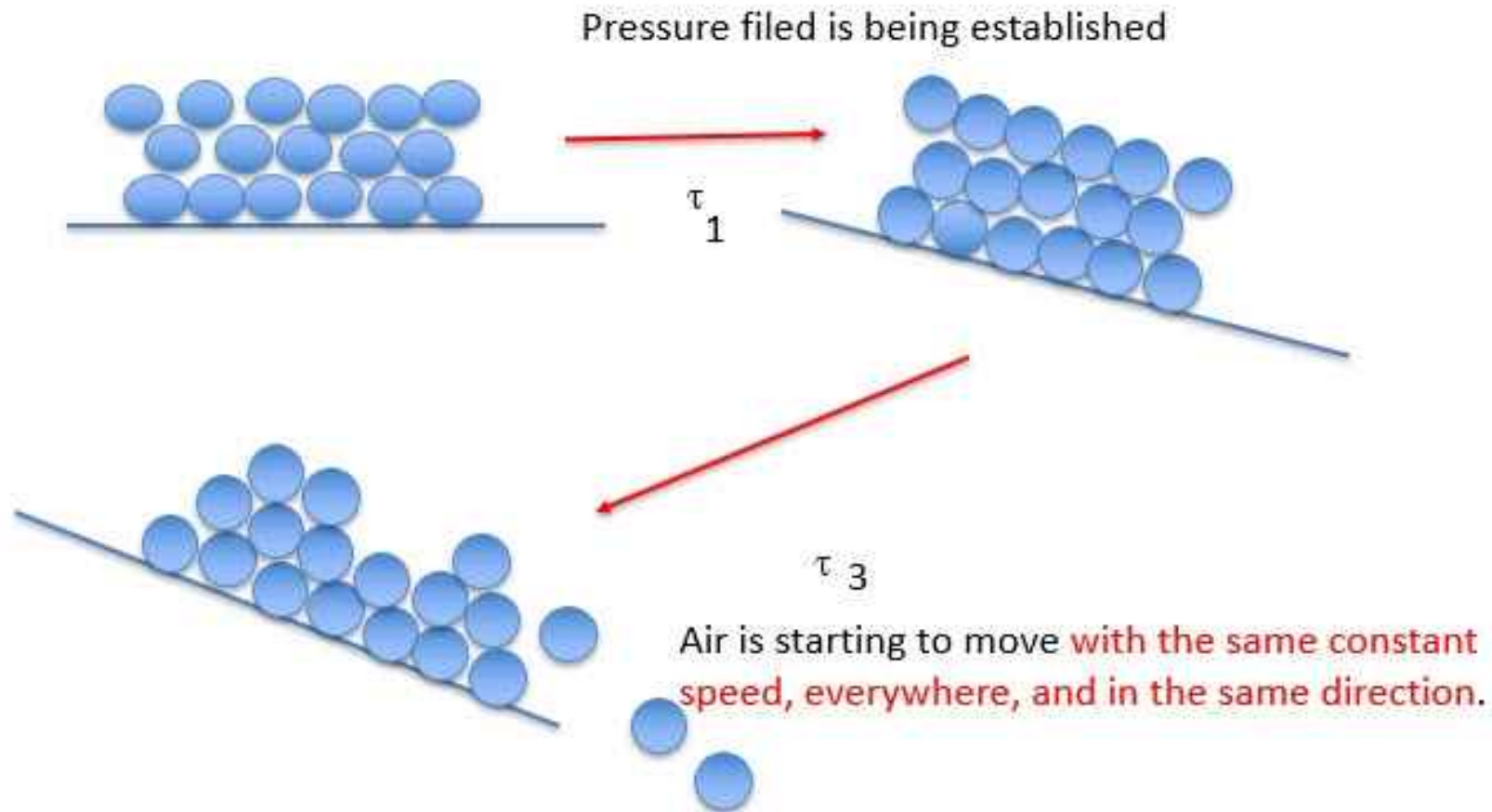
k= permeability through the pores, mu= viscosity for the fluid

Use Energy conservation

- $p(x, y, z, t) = p_0 \left(\frac{z}{L} \right) + \text{terms dying off quickly}$
- How quickly?
- $\tau_{c1} < \frac{\alpha}{\left(\frac{\pi}{D} \right)^2} = \alpha \left(\frac{D}{\pi} \right)^2 = \left(\frac{\theta_a \mu}{k P_0} \right) \left(\frac{D}{\pi} \right)^2 \equiv \tau_{c2}$
- $\vec{f}_z = -\vec{\nabla} p_\infty(z) = -\frac{p_0}{L} \vec{e}_z$
- The pressure force on each volume element **everywhere in the aggregate** is constant, the same, and in the same direction, (homogeneous and isotropic), as is also the averaged friction forces,
-and they will balance each other out

“Dumptruck” Model

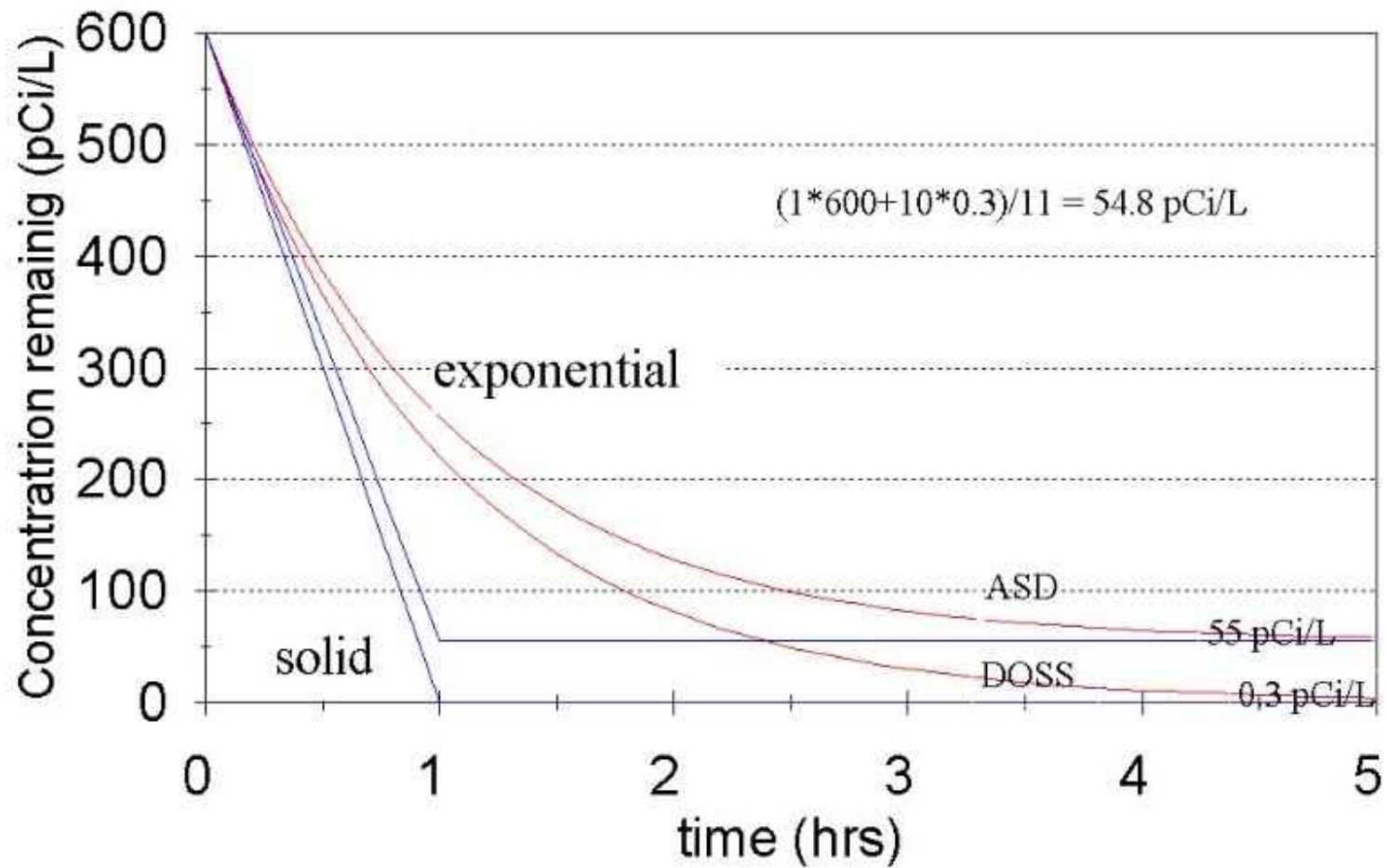
(for DOSSV only, not for ASD)



Efficiency for radon removal of DOSSV is better than ASD

Filtration models

Conc. under slab @1 ACH vent. rate



Summary

- New, DOSSV proposed for new construction allows solving a much simpler 1- dim problem, (Steady State solution) for Air vacuum and flow through the aggregate bed (plenum). Can be calculated for any gravel or sand with known characteristics.

Dynamics: flow is the same throughout the aggregate. (**homogeneous and isotropic**). (Viscous (laminar), or Transition regime).

Advantages of DOSSV in New Home Construction:

- **Final radon concentrations** are expected **lower** than with ASD.
- **# of main extraction vent pipes** in large footprint buildings, or large open work areas **can be reduced**.
- **Lower power fans** can be as effective for similar buildings.
- Allows **optimization during architectural phase by the gravel choice**.
- The same configuration **can be used to minimize Vapor Intrusion** more effectively into the building.